

Design and Implementation of Error Tolerant CSLA Using Approximate Adders

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Abstract:

In this paper, a nonspecific approach for investigative displaying of likelihood of event of mistake and the Probability Mass Function (PMF) of mistake an incentive in a chose class of surmised adders is introduced, which can fill in as execution measurements for the near examination of different adders and their arrangements. The proposed demonstrate is relevant to inexact adders that contain sub adder units of uniform and also non-uniform lengths. Utilizing a methodical approach, we determine shut frame articulations for the likelihood of mistake for various best in class elite estimated adders. The probabilistic examination is done for subjective information disseminations. It tends to be utilized to consider the reliance of blunder insights in a viper's yield on its setup and information dissemination. Additionally, it is demonstrated that by expanding upon the proposed blunder display, we can evaluate the likelihood of mistake in circuits with various inexact adders. We additionally show that, utilizing the proposed investigation, the similar execution of various inexact adders can be accurately anticipated in down to earth uses of picture preparing.

Keywords: Fixed-Width Booth Multiplier, Multilevel Conditional Probability (MLCP), Truncation Error.

I. INTRODUCTION

AS the figuring frameworks, including high multifaceted nature number juggling, turn

out to be progressively implanted and portable, the worry for vitality proficiency, size and speed of these frameworks additionally collects. Countless applications include media handling, for example, picture, video and sound based applications intended for human interface. Other such computationally serious applications incorporate information mining what's more, machine realizing. A typical element in these applications is that they don't require the result to be completely exact, rather a rough outcome is sufficiently satisfactory. Inexact figuring [1], [2] is a developing pattern in equipment and programming plan that adventures this inalienable resistance for mistake for proficiency gain as far as required equipment, speed as well as power. A few practically rough plans for essential number-crunching squares including adders [3], [4], [5], [6], [7], [8], [9], [10] and multipliers [11], [12], [13] have been proposed. The plan of quick and effective adders has pulled in incredible

II. RELATED WORK

Expansion is a crucial task in numerous VLSI frameworks, for example, application particular DSP models and chip. Full viper

is key unit in different circuits, particularly, in performing math activities, for example, blowers, comparators, equality checkers, multipliers and so forth. It is the core of numerous other valuable tasks; for example, subtraction, duplication, division, exponentiation, address estimation and can essentially impact the general achievable exhibitions of the framework [1]. In the meantime, the supported gigantic development of the portable apparatuses showcase is pushing the interest for control proficient VLSI circuits. Therefore, low power fast adders are exceptionally alluring. The part of full adders in number-crunching circuits can be characterized into two classes [2]: The chain organized, for example, swell convey adders (RCA) and exhibit multipliers. In these applications, the basic way frequently navigates from the convey contribution to the convey yield of the full adders. It is requested that the age of the do flag is quick. Something else, the slower do age won't just expand the most pessimistic scenario delay, yet in addition make more glitches in the later stages, henceforth, expend more power. The tree organized, which is as often as possible utilized as a part of multipliers. A multiplier is ordinarily

made out of three phases Partial items age arrange, halfway items expansion organize, and the last expansion arrange. In the main stage, the multiplicand and the multiplier are increased a tiny bit at a time to create the halfway items. The second stage is the most essential, as it is the most muddled and decides the speed of the general multiplier. The 4-2 blower has been broadly utilized in the rapid multipliers for the development of Wallace tree to bring down the deferral of the halfway item amassing stage. The expansion of the incomplete items contributes most to the general postponement, territory and power utilization, because of which the interest for fast and low power blowers is consistently expanding.

A. 1-Bit Full Viper

A 1-bit full viper is a combinational circuit that plays out the number juggling entirety of three bits. It comprises of three sources of info a, b and cin and two yields whole and convey [5]. Articulations for total and convey are The square chart of 1-bit full snake, as appeared in Fig. 1 is utilized as an essential building hinder in numerous VLSI

circuits and frameworks, for example, comparators, equality checkers, swell convey viper (RCA), convey skip snake, convey select viper, exhibit multiplier, 4-2 blower and microchips and so on [6]. Hence, upgrading the execution of the 1-bit full snake square prompts the improvement of the general framework execution Fig.1. Square graph of 1-bit full viper Expansion and duplication are broadly utilized tasks in PC number crunching; for expansion full adder cells have been widely dissected for rough processing. It has analyzed these adders and proposed a few new measurements for assessing surmised and probabilistic adders regarding bound together figures of legitimacy for plan evaluation for vague registering applications. For each contribution to a circuit, the mistake remove (ED) is characterized as the number juggling separation between a wrong yield and the right one. The mean mistake separate (MED) and standardized blunder remove (NED) are proposed by considering the averaging impact of different data sources and the standardization of various piece adders. The NED is about invariant with the measure of a usage and is in this manner

valuable in the dependability evaluation of a particular plan. The exchange off amongst exactness and power has additionally been quantitatively assessed. Be that as it may, the plan of surmised multipliers has gotten less consideration.

Increase can be thought as the rehashed total of halfway items; be that as it may, the clear use of estimated adders when planning a rough multiplier isn't feasible, on the grounds that it would be extremely wasteful as far as accuracy, equipment many-sided quality and other execution measurements. A few rough multipliers have been proposed in the writing. The vast majority of these plans utilize a truncated increase strategy; they gauge the minimum critical segments of the incomplete items as a steady. In a loose cluster multiplier is utilized for neural system applications by excluding a portion of the minimum critical bits in the halfway items (and therefore expelling a few adders in the exhibit). A truncated multiplier with a remedy steady is proposed. For a $n \times n$ multiplier, this plan figures the entirety of the $n+k$ most critical sections of the fractional items and truncates the other $n-k$ segments. The $n+k$ bit result is then adjusted to n bits. The lessening blunder (i.e. the

mistake created by truncating then- k slightest critical bits) and adjusting blunder (i.e. the blunder produced by adjusting the outcome to n bits) are found in the following stage. The revision steady ($n+k$ bits) is chosen to be as close as conceivable to the assessed estimation of the whole of these mistakes to diminish the blunder separate.

III. EXISTING SYSTEM

The main goal of either multi-operand carry-save addition or parallel multiplication is to reduce n numbers to two numbers; therefore, $n/2$ compressors (or $n/2$ counters) have been widely used in computer arithmetic. A $n/2$ compressor (Fig. 1) is usually a slice of a circuit that reduces n numbers to two numbers when properly replicated. In slice i of the circuit, the $n/2$ compressor receives n bits in position i and one or more carry bits from the positions to the right, such as $i-1$ or $i-2$. It produces two output bits in positions i and $i+1$ and one or more carry bits into the higher positions, such as $i+1$ or $i+2$. For the correct operation of the circuit shown in Fig. 1, the following inequality must be satisfied.

A widely used structure for compression is the 4-2 compressor; a 4-2 compressor (Fig.

2) can be implemented with a carry bit between adjacent slices $\delta c_{i-1} \frac{1}{4} 1P$. The carry bit from the position to the right is denoted as c in while the carry bit into the higher position is denoted as c_{out} . The two output bits in positions i and $i + 1$ are also referred to as the sum and carry respectively. The following equations give the outputs of the 4-2 compressor, while Table 1 shows its truth table.

The common implementation of a 4-2 compressor is accomplished by utilizing two full-adder (FA) cells (Fig3) [8]. Different designs have been proposed in the literature for 4-2 compressor. Fig. 4 shows the optimized design of an exact 4-2 compressor based on the so-called XOR-XNOR gates [8]; a XORXNOR gate simultaneously generates the XOR and XNOR output signals. The design of [8] consists of three XORXNOR (denoted by XOR) gates, one XOR and two 2-1 MUXes. The critical path of this design has a delay of $3D$, where D is the unitary delay through any gate in the design.

TABLE I: Truth Table of 4-2 Compressor

c_{in}	X_1	X_2	X_3	X_4	c_{out}	carry	sum
0	0	0	0	0	0	0	0
0	0	0	0	1	0	0	1
0	0	0	1	0	0	0	1
0	0	0	1	1	1	0	0
0	0	1	0	0	0	0	1
0	0	1	0	1	1	0	0
0	0	1	1	0	1	0	0
0	0	1	1	1	1	0	1
0	1	0	0	0	0	0	1
0	1	0	0	1	0	1	0
0	1	0	1	0	0	1	0
0	1	0	1	1	0	1	0
0	1	1	0	0	1	0	1
0	1	1	0	1	1	0	1
0	1	1	1	0	1	0	1
0	1	1	1	1	1	1	0
1	0	0	0	0	0	0	1
1	0	0	0	1	0	0	1
1	0	0	1	0	1	0	1
1	0	0	1	1	1	0	1
1	0	1	0	0	0	1	0
1	0	1	0	1	0	1	0
1	0	1	1	0	0	1	0
1	0	1	1	1	0	1	0
1	1	0	0	0	0	1	0
1	1	0	0	1	0	1	1
1	1	0	1	0	1	1	0
1	1	0	1	1	0	1	1
1	1	1	0	0	0	1	0
1	1	1	0	1	0	1	0
1	1	1	1	0	1	1	0
1	1	1	1	1	1	1	0
1	1	1	1	1	1	1	1

IV. PROPOSED SCHEME

In this section, we develop a generic methodology for error probability analysis of the class of adders represented by the model in Fig. 2. The proposed methodology, depicted in Fig. 4, primarily has the following components: The first step is to identify the errors in the intermediary logical elements of the approximate adder that contribute to error in the output and then mathematically relate the occurrence of such errors with $\text{Pr}[\text{Error}]$, defined in Eq. (1). In this step, $\text{Pr}[\text{Error}]$ will be expressed as the sum of probabilities of joint carry-in propagation and carry-out generation events for specified groups of input bits. This is

explained in Subsection 4.1. The next step is to find each joint probability term. For this, we propose a method to transform these joint probabilities into products of probabilities of independent carry-in propagation and carry-out generation events. This method is given in Sub-section 4.2. The probabilities of carry-in propagation and carry-out generation events are derived in generalized form for arbitrary input distributions, which will be used to compute each product term.

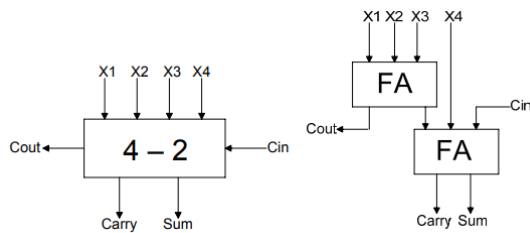


Fig 1: A 4-2 Compressor Block

The derivations are given in Subsection 4.3. By building upon the analysis, the analysis for the PMF of error value is presented in Sub-section 4.4. In Sub-section 4.5, the proposed analysis is used to estimate the error statistics in circuits with multiple approximate adders.

A. Identifying Events leading to Approximation Error

The N-bit approximate adder, given in Fig 2, is constructed using L sub-adders. The i th sub-adder, for $i = 1, 2, \dots, L$, is a $R_i + S_i$ -bit precise adder. The output of Sub-adder 1 is always correct as there is no loss of accuracy due to carry chain truncation. However, the outputs of Sub-adder 2 to Sub-adder L can be erroneous since addition with the carry generated by the previous less significant bits has been eliminated. Since the output sum is obtained by gathering the outputs of all the sub adders, as shown in Fig. 2, error in any sub-adder's output can contribute to error in the final output. Error in the i th sub-adder (for $i \geq 2$) occurs when the R_i prediction bits of the sub-adder's input are all propagating carry-in and the previous less significant bits of adder's input, that are not input to this sub-adder, are generating carry-out. The error occurs because the generated carry-out is not propagated due to the broken carry chain between sub adders. Let E_2, E_3, \dots, E_L represent events associated with the occurrence of error in Sub-adders 2, 3, ..., L respectively. The error events are defined such that $E_i = 1$ if the i th sub adder output is erroneous and $E_i = 0$ otherwise. Since any one of these events can contribute to error in the final output S_{appr} ,

the event associated with an error in Sappr is expressed as the union of these events. Furthermore, since two or more of these events can occur simultaneously, these events are not mutually exclusive. The probability of the union of such events can be evaluated using the inclusion exclusion principle [27],

$$\begin{aligned} \Pr[Error] &= \Pr[E_2 \vee E_3 \vee \dots \vee E_L] \\ &= \sum_{i=2}^L \Pr[E_i] - \sum_{2 \leq i < j \leq L} \Pr[E_i \wedge E_j] \\ &\quad + \sum_{2 \leq i < j < k \leq L} \Pr[E_i \wedge E_j \wedge E_k] - \dots + (-1)^L \Pr \left[\bigwedge_{i=2}^L E_i \right] \end{aligned}$$

Each term in Eq. (2) is going to be evaluated separately in the next sub-sections. For larger number of sub-adders, as the analysis becomes increasingly difficult due to large number of joint probability terms, Algorithm 1 is presented so that the inclusion-exclusion principle can be automated, if desired.

V. SIMULATION RESULTS

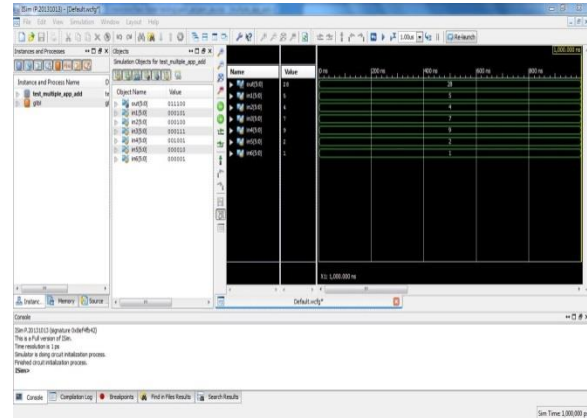


Fig 2: simulation result of the proposed system

VI. CONCLUSION

In this paper, a nonexclusive methodology for probability of slip-up examination of inaccurate adders is shown. The procedure can be associated with discover adjust probability of occasion of screw up and the PMF of oversight in any outline of the snake show presented for given data scatterings and from now on these setups can be constantly taken a gander at without the need of thorough or Monte-Carlo proliferations. The investigative models similarly yield bits of learning into the dependence of slip-up execution on circuit parameters. Models for a couple of setups are affirmed through exhaustive generations and amusement comes to fruition are gave off an impression of being in romanticizing

simultaneousness with the examination. The proposed framework can fill in as a significant gadget for predicting relative bumble execution of various plans. Close execution of some GeAr snake courses of action in a down to business usage of Gaussian smoothing of a photo is moreover foreseen and affirmed.

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