

Mechanical behavior of 7-wire strand artificially damaged (4/7 broken wires) subjected to static tensile test

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Abstract

Steel wire ropes are exposed to various degradation processes once deployed in service. Therefore, they must meet the strictest safety standards in their use because every failure causes material and immaterial damages. This is why preventive monitoring, regular maintenance and reliability assessment prove of great importance to ensure maximum life.

Throughout the life of a wire rope, the wires and strands that make up this cable are subjected to high mechanical stress indicating a loss of the original force, which sometimes leads to very rapid deterioration leading to sudden rupture.

The main objective of this study is to predict the evolution of the damage of a strand forming a steel wire rope, based on an experimental tensile test of a strand containing 3wires artificially damaged and subsequently determine the different stages that predict the moment of critical damage and thus to intervene in time for predictive maintenance..

Key Words:

Failure; damage; Strand; Tensile test; predictive maintenance

I. Introduction:

Wire rope solutions are utilized for centuries in a wide variety of for industrial applications including mechanical, civil, electrical and ocean engineering structures.

A steel wire rope has three basic components that vary in complexity according to specific applications: strands are laid around a central core in a helical position; each strand consists of a number of cold-drawn wires [1] that are helically served around central core. Figure 1 shows a schematic representation of wire rope construction. Due to this specific geometry the wire rope exhibits a high bending flexibility and large internal damping capable of resisting high tensile loads and permits the wire ropes to resume loads despite the break of one or more wires [2].

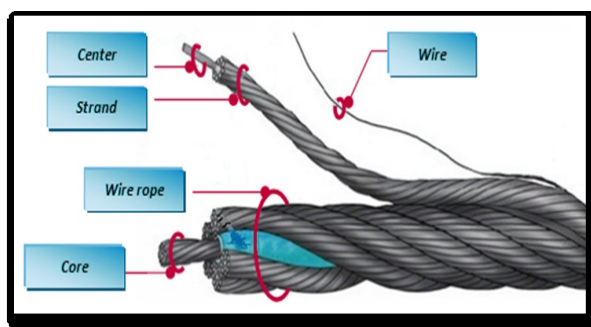


Figure 1. Steel wire rope Components

Despite all the advantages that this conception represents, it is an accepted fact that wire ropes are consumable with a limited life and it should be replaced before the risk of failure becomes unfortunate.

This paper is focused on the prediction of damage using a tensile tests of a wire strand (1x7) artificially damaged by breaking 4/7 wires and subsequently determine the critical

fraction of life β_c . Such a study could be beneficial for manufacturers due to its low cost and simplicity

II. Material and experimental procedure

II.1 Material

Our purpose is to study the behavior of a strand belonging to a steel wire rope of type 19x7 (includes 19 strands with each strand consisting of 7 individual wires) and antigratory construction (1x7 + 6x7 + 12x7) (Figure 2); such a structure is composed of a number of strands that are laid up in opposite directions to produce a non-rotating effect [3].

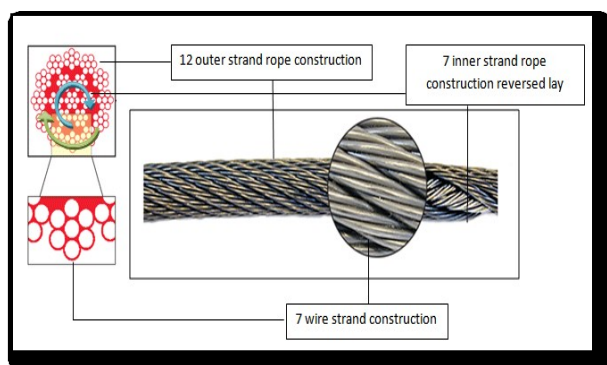


Figure 2. Steel Wire Rope of type 19x7 and antigratory construction (1x7 + 6x7 + 12x7)

The studied strands are composed of 7 wires each individual wire is arranged helically around a central wire to form a 7-wire strand.

II.2 Experimental procedure

To obtain specimens of the strand, a suitable length of the cable was cut and strands were de-wiring (wiring off). The minimum length of the samples strand is equal to the length of the test plus the necessary for the mooring. Therefore, a length of 300 mm is anticipated as the length of the test for the strands. The measurements tolerance in the length is \pm a millimeter for all samples [4].

Dimensions of the strand are shown in Figure 3:

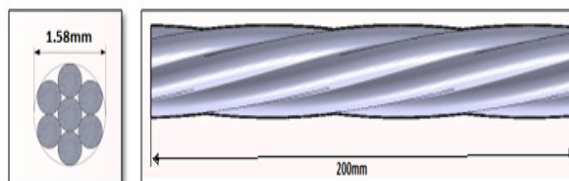
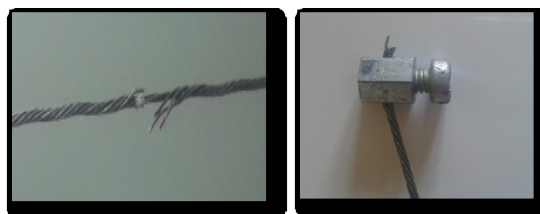


Figure 3. Dimensions of the studied strand

Tensile test of strand wire ropes of diameter 1,85 mm was realized at 5 virgin specimens to extract mechanical properties and 5 other samples which are artificially damaged by breaking 4/7 wires (Figure 4.a).

The fixation of the samples is performed by means screwed wedges on both ends of the strand (Figure 4.b) in order to prevent sliding of the samples during the tests.



(a)

(b)

Figure 4. a) Strand artificially damaged. b) Screwed wedges on the ends of the strand

The chemical composition was performed in the Public Testing Laboratory and Studies (LPEE) and the results are obtained by spectrometric analysis using a spectrometer peak spark.

III. Results of the experiments

III.1 Chemical composition and mechanical properties

The result of chemical composition is summarized in Table 1:

Table 1. Chemical composition of the material

Elements	C	Si	Mn	P	S	Cr	Mo
%	1,478	2,04	2	0,091	0,0144	0,182	0,208

It is noticed that the wire rope is made of a low alloy steel with high percentage of carbon (about 1,478%); They are obtained by the cold wire-drawing process, which consists of passing the wire through a conical die until the desired diameter. Indeed, this reduction of diameter causes a hardening of the metal and then provides a high tensile strength.

Concerning Mechanical properties of the virgin strands extracted from tensile test curve [5], it is reported in the table.2:

Young's modulus	Poisson's ratio	elastic limit (MPa)	Breaking stress (MPa)
E=189 GPa	v=0,3	$\sigma_e=1035$	$\sigma_r=1992$

Table 2 Mechanical properties of the material

III.2 Strength-elongation diagram

During the tensile test of a strand containing a number of broken wires, it is observed that the resistance drops at the rupture of each wire and resume its stiffness until the final break. The test curve of the applied strength in function of the elongation for the strand with 4 broken wires artificially damaged is given by the (Figure 5).

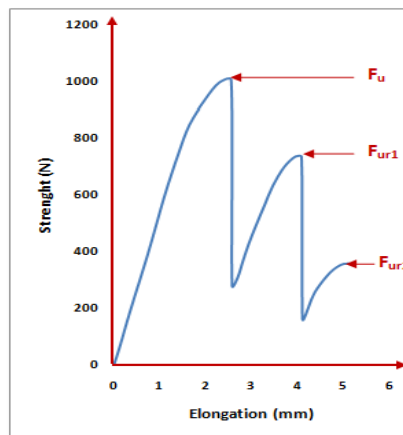


Figure 5. strength-elongation diagram for the strand with 4 wires artificially broken

According to figure 5, the studied strand has a residual ultimate force of 1008 N which drops to each failure of each wire constituting the strand then resumes its stiffness, until the final break value of 362 N corresponding to the last wire. This could be interpreted by the fact that during the test there is a loss of resistance depending upon the number of broken wires. The values of residual ultimate force are listed in Table 3.

Fu (N)	Fur1 (N)	Fur2 (N)
1008	740	362

Table 3. Values of residual ultimate force

III.3 Calculation of static damage

The model of static damage (Ds) is to determine the evolutions of the force whose variations are mainly due to damage. Then we quantify the damage by the variable Ds expressed as:

$$D_s = \frac{1 - \frac{F_{ur}}{F_u}}{1 - \frac{F_a}{F_u}} \quad (1)$$

Where:

Fu: the value of the maximum ultimate strength

F_{ur}: the value of the ultimate strength

F_a: the force just before the final break

Throughout the test, we are following the phenomenon of damage from the initial state with 4 wires artificially damaged to the complete rupture of the specimen by measuring the ultimate residual force in function of the life fraction β that corresponds to ratio of the number of broken wires on the total number of wires, this phenomenon is described by the damage parameter D_s Equation (1) and presented in figure 6.

And we have:

- In the initial state until the failure of the first wire: $\beta = 5/7 \rightarrow F_{ur} = F_u \rightarrow D = 0$
- In the final state: $\beta = 1 \rightarrow F_{ur} = F_a \rightarrow D = 1$

The variation of the static damage according to the life fraction is illustrated by the curve:

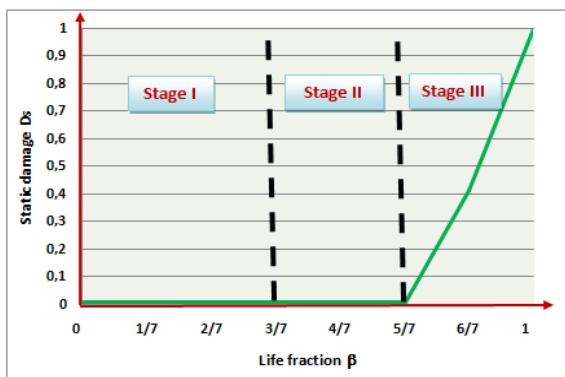


Figure 6. Evolution of the static damage depending on the life fraction

The increase of the damage means the loss in static tensile strength, this loss is changing when the number of broken wire becomes more important. It is a fragile behavior of material with irreversible deformation that reduces the ultimate force of the material.

From Figure 6, we could distinguish only the stage III (previously indicated in [5] for strand with 2 broken wires). The stage III corresponds to the brutal damage. This indicates that a strand with 4 broken wires is located in stage III of damage in the unstable zone that we could not control, so a predictive maintenance intervention is required.

III.4 Calculation of damage using unified theory

The damage of the strand being progressive, its variation is influenced by the level of loading. Various representative theories of this damage are given initiated by the linear of Miner law; finding that the damage changes linearly depending on the fraction of life. [6]

By analogy with the unified theory, an empirical relationship describing the damage is proposed:

$$D = \frac{\beta}{\beta + (1 - \beta) \left[\frac{\gamma - (\gamma / \gamma_u)^8}{\gamma - 1} \right]} \quad (2)$$

Where: $\beta = \frac{N_i}{N_t}$, $\gamma = \frac{F_{ur}}{F_0}$ and $\gamma_u = \frac{F_u}{F_0}$

F_0 is the residual endurance limit that could be determined by multiplying the ultimate residual force by a coefficient α (for $n = 0$; $F_0 = \alpha F_u$).

For a coefficient $\alpha = \frac{1}{\text{Safety factor of the strand}}$

The variation of the damage according to β with γ as a parameter is shown in Figure 6. Each curve is associated to a loading level.

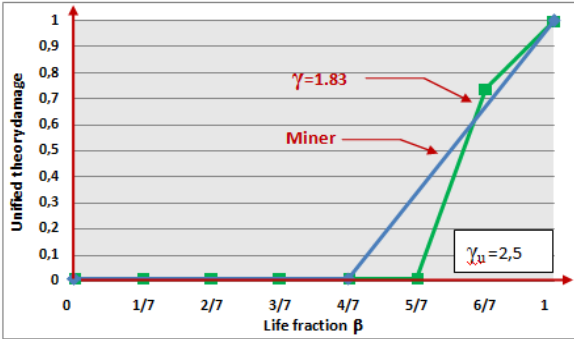


Figure 7 Evolution of Damage by unified theory and Miner law in function of the life fraction

The resulting curve is associated to a particular level of loading. This damage curve gradually approaches the bisector (linear rule of Miner) depending on the life fraction β .

IV. Conclusion

A damage study is conducted based on a simple static tensile test on a sample of strand extracted from steel wire rope of type 19x7 and antigyratory structure, 4 of its wires were broken artificially, this study allows us to follow the damage at determined level of degradation and thereafter locate the damage degree relative to the critical life time, and thus to intervene at the appropriate time before the risk of failure becomes deplorable and catastrophic.

Two methods of damage calculation were used; the first experimental based on the results of the Strength-elongation diagram and the second theoretical using the unified theory and linear rule of Miner. It is concluded that a strand with 4/7 broken wires is in the unstable zone of damage and a dangerous brutal rupture could occur.

In industry, such studies have an interest in any company that regularly or occasionally use wire ropes, and have as objective a predictive maintenance of their systems to maintain the safety of personnel and prevent fatal and expensive accidents

related to the use of cables with a low cost based only on a simple tensile test.

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