

Perceptive Functions and Memory in Neural Network Model

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Abstract-

This paper provides the complete illustration about the observation of new group of distributive memory that is termed as R-nets. These networks are in sparse connection and are very much similar to the Hebbian network. A neural network model of associative memory in a small region of the human brain unconventionally depends, on dis-inhibition of links between excitation neurons instead of long-term potential of excitation projections. Neural network model may have beneficial advantages over traditional neural network models both in sense of information storage capability and biological plausibility. The distributive memory class called R-nets mainly makes the use of simple common binary neurons and make the links between the excitation neurons and inhibition neurons. This paper is also aimed to show the implementation of associative memory that is capable to store sequential patterns in networks along with the higher perceptive or cognitive functions. This work demonstrates the statistical features of such kind of networks in terms of memory storage capacity in accordance with R-net and also employed fetching and recalling techniques. Different copies of the local network are connected through the many weak, reciprocating and excitatory projections that permits one single region to control and coordinate the recalling of information in

another region to rise properties that are analogous to serial memory, classical, and fabrication of possible future events.

Keywords: Cognition, Conditioning, Neural Network, R-nets, Hebbian Networks.

Traditional Neural Networks

According to the Model Traditional Neural network Model, excitatory neurons are connected in random to one another.

In operation, a subset of the neurons in a network is allowed to get activated. These subset of neurons are called as Training vector. Synapses that exist between the active neurons are then trained or guided in accordance with a “Hebbian” learning rule, which states that the strength of excitatory synapse increases when both the Pre and Post synaptic neurons are active at the same instant of time. After training on some number of sets, a subset of a training set which are also known as “recall set” may get activated with the objective of reactivating the original training set known as “target set”. Because of earlier synaptic training, the components of a target set are likely to be more strongly activated by a recall set than the non-target neurons. An activation threshold for firing may need to be calculated stochastically in such a way that most targeted neurons are above the threshold while most non target neurons are not. The number of stored training sets is directly proportional to the number of recall

errors. The resulting errors may also consist of active neurons that are not members of the target set that are called as “spurious neurons” or inactive members of the target set. As the size of the recall set increases, the activation of all neurons increases, and the threshold that separates target from non-target neurons increases. Accordingly, the traditional R-nets impose a uniform, inhibitory feedback on the all neurons that is proportional to the number of neurons in a recall set. However, they have several features that are biologically implausible.

First, the real cortex at the lower edge is required to be connected for the successful storage of information through these neural networks. Second, the networks are not robust enough to tolerate stochastically in the inhibitory feedback. Third, the mechanism of uniform inhibitory feedback is not created explicitly, and no such mechanism seems to exist in the real brain. Single active inhibitory synapses seems to be more effective at silencing post synaptic neurons. Fourth, synaptic strengths are needed to be finely graduated and they are dependent on architectural parameters such as connectivity. This make traditional networks evolutionarily implausible because any change in architecture de-optimizes synaptic parameters. Fifth, the brain is not in random connection. While non-random connection matrices exist that are stochastically as smooth as random matrices, they are relatively, the rare objects that are not likely to be discovered by evolutionary means. Sixth, the analysis of the storage capacities of large versions of these networks is suspect. For small networks, equations for the number of errors during recall produces the results that closely approximate the actual number of errors found in simulations. It seems that Cognition Model 6 assumes that as, network size increases the normal approximation of a

binomial distribution will also improve. However, it is not the network size that is the number of trials in the binomial distribution, it is the size of the recall set, and this size remains constant in moving from simulations of small networks to the analyses of large networks. It sometimes seems that the number of errors in small networks is slightly larger than analysis predicts. If the number of neurons in a recall set seems to remain constant, the number of spurious neurons will also increase linearly with the size of the network, and a small under-estimate of the number of errors in a small network becomes large in a large network.

R-nets in Neural Networks.

R-nets are used as the components in the modular construction of bigger networks which are capable of calculations and computations that are analogous to serial memory, classical and secondary that are reinforcement, re-fabrication of memory devices, and they are also capable of fabricating the future events. R-nets stress biological plausibility and have demonstrated large capacity of storage with the sparse integrated connectivity of mammalian cortex. The number of synapses of inter-neurons on principal cells is 1000 to 3000 and the ratio of inter-neurons to principal primary cells is roughly 0.2. The R-net has 40% of excitatory neuron pairs linking through at least 1 inhibitory neuron. Mathematically, R-nets are defined as artificial neural networks that are in random connection with primary and secondary neurons. R-nets implement the distributed memories that are able to recall the input patterns. During training, an input pattern is presented to the R-net by activating a selected cluster C of the primary neurons. All the links between active neurons are trained. During recall, a subset of one of the

stored patterns is presented to the input, and thus activating the corresponding principal neurons. The initial recall set is expected to activate all the neurons of one of the stored patterns that include the activated neurons as a subset.

The Local Network Model (R-net)

In R-nets, the direct projections between excitatory neurons are made to be ignored. Rather, there are only random projections of excitatory neurons onto a relatively small number of inhibitory neurons, and recurrent projections from the inhibitory neurons onto excitatory neurons. Pairs of primary neurons are then made to be “linked” by inhibitory pathways of the various kinds of interneurons present in the cortex, the basket cells are the common and bear the highest resemblance to the inhibitory neurons of the models. The Co-activation of two excitatory neurons causes both the synapses to be linked between the neurons to become “trained.” The synapses are binary, being trained or not. The synapses in an inhibitory link functionally “cuts” the link. Unless both the synapses are fully get trained, inhibitory links are perfectly made to behave inhibitory, excitatory neurons are made to fires on the x th cycle if and only if they receive no inhibition from neurons firing on the $(x-1)$ th cycle. This dis-inhibition is generally modeled in either of the two ways. The mechanism is simply to weaken both the synapses so that the pathway is no longer allowed to be inhibitory. The second interpretation is then implemented in the current studies. It is important to notice that no thresholds are therefore required under either of the interpretation. Excitatory neurons are binary, and they only fire if they are not inhibited. Inhibitory neurons have activities equal to the sum of their inputs. When these r-nets are employed as local

regions in C-nets, these R-nets accommodate additional properties. To accomplish the noisy environment, neurons are made to accumulate inhibition that decays linearly with time. If a recall set is active along with spurious neurons, the spurious neurons will typically acquire more inhibition than target neurons. Target neurons fire first and inhibit non-target neurons. Moreover, while simulations of recall of the smallest training sets (20-neuron sets), trained inhibitory links are made slightly excitatory. This process improves the storage capacity by reducing the probability of a single neuron silencing a large enough fraction of target neurons to prevent recall. Accordingly, the activation algorithm for the network is as follows.

The R-net is initialized by activating a small set of excitatory neurons. Inhibitory neurons are then updated as per the following rule.

$$a_{i,x} = \sum w_{i,e} a_{e,x} \rightarrow \text{Eq. 1}$$

where $a_{i,x}$ is an activity of the i th inhibitory neuron that is performed on the x th cycle, $a_{e,x}$ is the current activity of the e th excitatory neuron with 0 or 1 as possible values, and $w_{i,e}$ is the strength of the projection of the e th excitatory neuron onto the i th inhibitory neuron with possible values of 1 (untrained) or 10 (trained).

Now, Excitatory neurons are then updated using the following rule.

$$I_{e,x} = I_{e,x-1} + \sum I_{i,x-1} + 1 \text{ [I}_{\min,e} < I_{e,x} = 0] \rightarrow \text{Eq. 2}$$

$$a_{e,x} = 1 \text{ if } I_{e,x} = 0$$

$$a_{e,x} = 0 \text{ otherwise}$$

where $I_{e,x}$ is the inhibition of the e th excitatory neuron on the x th cycle, $a_{e,x}$ is the activity of the e th neuron on the x th cycle, and $I_{i,x-1}$ is a function of the i th inhibitory neuron.

The major and principal consequence of sparse connections is that few of the neurons may have few links with the elements of a recall set, and these links may become as spuriously trained. The synapse of an excitatory neuron is generally trained by one set while the synapse of the inhibitory neuron is trained by another. The neurons having with few links to a recall set increases linearly with the size of the network, and very small sets are recalled poorly in large, very sparsely connected networks. In order to compensate this, the probability of a non-target neuron having no untrained links to elements of a recall set may be seen to be the product of the probabilities for each element of the recall set. As the size of the recall increases, this product gets small rapidly, and the recall set size are therefore needed to suppress spurious neurons which increases much less rapidly than the network size. Another consequence of this poor performance is when the elements of the recall sets are activated, then R-nets are required to recall large target sets from these very small recall sets.

Storage Capacity

The parameter space of the network has not been optimized. The effort to do this cannot be rewarded by simple proportional results. Rather, these results emphasize the rigidity and robustness of the network.

The storage capacity of the neural network was evaluated by creating training sets which encompasses all the regions of the network. Few studies reveals that randomly selected sets of 20 to 30 neurons per region were activated and trained. For few, random sets were formed that were of variable size which initialize the network with 4 randomly selected active neurons in each R-net, and assigning other neurons $I_{e,0}$'s

randomly selected between 1 and 20. The network is then made to run for 300 cycles at which time training was triggered by the activating the reinforcement set. The network was then re-initialized and the process is made to be repeated again. After storage of sufficient sets, recall sets were then activated in the earlier sensory regions and 100 cycles were instantiated for the remaining network to converge on corresponding target sets.

When the network was allowed to produce the training sets by the means of its own random firing, sets in the early sensory region ranged in size from 26 to 39 neurons. While, in other local regions, set size ranging from 14 to 27 neurons has 23 as a mean. The total number of these random sets stored, is not limited by the number of errors, which never exceeds 1.9% with 30 sets stored. Rather, in each of 10 trials, there was a sharp transition over the range of 30 to 35 sets stored. When randomly selected neurons gets activated in a C-net in which up to 30 sets have been trained, the network will continue to cycle for thousands of cycles without converging on any of the training sets. However, till the time, 35 sets have been made to be trained, the network then begins to converge on some of the training set within 100 cycles, and thus making it impossible to add additional training sets.

Serial Memory

A model of serial memory that is more satisfactory is formed by training projections from firing motor neurons onto currently firing sensory neurons. One of two mechanisms is used to allow sensory neurons to cease fire before the motor neurons. In some studies, we need to employ burst-firing neurons, thus giving neurons a small period of fire in the sensory region rather than the motor region. In others

studies, we add the rule that activation of either reinforcement set suppresses fire of any active neuron in the sensory region.

The given protocol produces serial memory. Few number of sets are trained by occasional activation of a reinforcement set. These sets are then stitched together into a flow of series by firstly activating set 1 in the earlier sensory region. When set 1 stops to fire in the sensory region, then set 2 is activated in the earlier sensory region. When the network converges on the set 2, the network is again allowed to get trained, and recent active neurons of set 1 in the motor region are trained to currently active neurons of set 2 in the sensory region.

After sometime, when set 1 is activated in the early sensory region, the network then converges on set 1. Activity of set 1 sensory region neurons inhibits activity of set 2 sensory region neurons. However, when set 1 sensory neurons stop to fire, set 1 motor neurons induces the firing of set 2 sensory neurons. As set 2 appears in the sensory regions, its untrained projections to set 1 motor region neurons silence the set 1, and the C-net converges on set 2, and so forth through the remainder of the series.

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