

# A Comparative Analysis of Computer Based Forecasting Models Used In Stock Exchange Prediction

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# ABSTRACT

It is difficult to successfully forecast stock market prices to achieve the best result with minimal input. That's because stock price forecasting is a complex process that depends on both known and unknown factors. This paper evaluates the different computer based forcasting models and presentes a comparative analysis of the use of these models in stock exchange prediction. The paper used data for the period between January 2010 to December 2015, and used each of The Markov model, Neuro-fuzzy system, Data mining, Neural Network, ARIMA model, Moving average, Genetic algorithm, and Random walk forecasting models to reveal how they have been used in stock market price forecasting. Also a combination of Neural Network and ARIMA models were used to form a hybrid model and the outcome of the two methods were compared. R statistical program was used to decompose the time series values into trends, seasonal and random components which gave a deeper insight into the behaviour of the stock exchange market. The result obtained from the different forcasting models including the hybridized models showed that the hybridized models gave the most accurate prediction in stock exchange market forcast compared to the single models.

Keywords: Forecasting models, prediction, Stock market price, Hybrid Model,

# **1.0 INTRODUCTION**

The ultimate aim to maximize profit has prompted forecasters to come up with new and more accurate prediction formula or models. Forecasting is an attempt to envisage how the outcome of future event will occur, hence aid decision makers in making better decision. Forecasts are made not only to make profit but also to reduce risk and errors. Forecasting also facilitates better planning for future event and unforeseen circumstances. Stock exchange forecasters over the years have developed models to help in forecasting the best stock price with minimal error. It is difficult to make accurate prediction because of volatile markets and the fluctuation of stock prices. Forecasting stock market price is difficult because the fluctuations the market volatility needs to be captured and implemented by the model

The fluctuations in the market price affect investments from investors, as a result developing or comparing exiting forecasting models to facilitate the process of making better informed and accurate investment decisions is important not only to the forecasters but also to the investors. There exist many forecasting techniques such as Markov model, Neuro-Fuzzy system, Data mining, Neural Network, ARIMA model, linear and multi-linear regression, genetic algorithm, random walk, buy and hold strategy that are used for forecasting of future values.

These forecasting models can be grouped into prediction techniques and time series analysis.(*Prediction Techniques – Neural Network, Hidden Markov Model, ANFIS, Genetic Algorithm, Data mining )(Time series* 

# Analysis- Random work, Moving Average Regression, Method, ARIMA)

This research focuses on comparing some of the available stock market computer based forecasting model, and then recommending the most suitable computer based forecasting model that could be used in forecasting stock market prices with minimal error. Accuracy results of the forecasting models used in this study are present in **Table 2** below.

The contribution of this study is a comparable analysis of the different stock market forecasting model, and the recommendation of the most suitable stock market forecast model with higher accuracy. Stock markets are some of the most important aspect of today's global economy. Countries around the world depend on stock exchange for economic growth

A stock market is a public market for trading the company's stock and derivative at an approved stock price. Stock market allows companies to buy and sell their shares. The shares price varies depending on the demand and supplies of shares. The price will increase when the demand is high and the share price decrease when the share is heavy to sell. This type of transaction is called trading and the companies, which are permitted to do the trading are called "listed companies" (Preethi & Santhi , 2012).

The first stock exchange was established in Antwerp Belgium as far back as 1531. Brokers and moneylenders would meet in Antwerp to deal in business, government and even individual debt issues. In the 1500's there were no real stocks, but there were many flavours of businessfinancier partnerships that produced income like stocks



do. There was no official share that changed hands (Beattie, 2016). John Castaing in 1698 founded the arguably the oldest of the world's major stock exchanges the: London Stock Exchange. John began to organize the market in Jonathan's Coffee-house using a simple list of stock and commodity prices.

The New York Stock Exchange (NYSE) formed in 1792 is arguably the oldest, and most well known of all the American stock markets. The NYSE was formed when two dozen stockbrokers from New York City had the idea to organize what was then disorganized and chaotic method of trading. The NYSE continues to grow rapidly, and today lists 2,330 companies with a total capitalization of nearly \$18.8 trillion(cite source).

In 1849 the American Stock Exchange or Amex was formed. The Amex played an important role in the financial and business transactions associated with the mining industry in the 19<sup>th</sup> century. Amex expanded its niche role in 1921 to include companies that did not meet the strict standards of the NYSE. In 1998, the NASDAQ bought over Amex and it continued its history of niche market player, specializing in derivatives ad stock options. In January 2008, NYSE acquired the American Stock Exchange for \$260 million in stock.

The oldest stock exchange in Asia known as Bombay Exchange known as Munbai was formed 1875. In 2016, almost 34.7 million shares of stock worth \$9.8 billion (USD) were traded monthly on the Bombay Stock Exchange. The National Association of Securities Dealers Automated Quotation, or NASDAQ was established in 1971 was the first exchange to recognize the role of electronics stock trading. The networks of computers running the NASDAQ allow it to be the most efficient stock exchange in the world (Money-Zine, 2016).

# 2.0 LITERATURE REVIEW

The prediction of stock market price that is effective and accurate is daunting and challenging task. In this paper, the literature review on the application of different forecasting techniques used in forecasting stock market price. Predicting stock index with traditional time series analysis has proven to be difficult; an artificial neural network may be suitable for the task.

Artificial neural network (ANN) technique is one of data mining techniques that is gaining prominence and gaining rapid acceptance in the business area due to its ability to learn and detect relationship among nonlinear variables. It allows for deeper analysis of large data sets, especially data that have tendency to fluctuate within short period of time ( Ayodele, Ayo, Adebiyi, and Otokiti, 2012). ANN is capable of extracting useful information from large set of data, and it can also be used for classification, predication and recognition ( Preethi & Santhi, 2012).

The uniqueness of ANN is its ability to relate the input to the output data set through a non-linear relationship. The output value can be determined from the input values which have to be transformed using activation functions. The most crucial step involved in this training a neural network which required trainer to perform at optimum best ( Chakravarthy and Sunil,2016). ANN represents one of the widely used soft computing techniques for stock market forecasting. Trafalis used feed-forward ANN to forecast the change in the S&P(500) index (Hassan, Baikunth, and Kirley, 2017)

Hui-Kuang and Kun-Huang (2010) utilized **neutral network** because of their capabilities in handling nonlinear relationship and also implement a new fuzzy time series model to improve forecasting. Among the several forecasting techniques developed to stock price prediction artificial neural networks model is very popular because of its ability to learn patterns from data and infer solution from unknown data (Adebiyi, Adewumi and Ayo, 2014).

The ability of neural network to learn the behavior the series when properly trained and because of their nonparametric approach have become popular in the world of forecasting. If stock market prices/returns fluctuations are affected by their recent historic behavior, neural network which can model such temporal stock changes can prove to be better predictors. The changes in a stock market can then be learned better using networks which employ a feedback mechanism to cause sequence leaning (Vaisla and Bhatt, 2010).

Autoregressive integrated moving average (ARIMA) model also known as Box-Jenkins model was introduced by Box and Jenkins in 1970 is composed of set of activities for identifying, estimating and diagnosing ARIMA models with time series data. The model is most prominent methods in financial forecasting and it has shown efficient capability to generate short-term forecast. The ARIMA model creates small forecasting errors in longer experiment time period. The models constantly out-perform complex structural models in short-term forecast. The future value of a variable is a linear combination of past values and past errors. ARIMA models are known to be robust and efficient in financial time series forecasting especially short-term prediction than even the most popular artificial neural networks models (Adebiyi, Adewumi and Ayo, 2014). This model is fitted to the time series analysis data to predict future points in the series. ARIMA models are applied in some situations where the data show evidence of fluctuations also where an integrated part of the model can be applied to remove the fluctuation ( Preethi and Santhi.2012).

The **Holt-Winter** forecasting method uses a technique call exponential smoothing, which is use to reduce irregularities in time series data, therefore providing clearer view of the true underlying behavior of the series.



It also provides an effective means of predicting future values of the time series. Most time it is desirable to smooth a time series and thus eliminate some of the more volatile short-term fluctuations (Newberne, 2006). An important characteristic of exponential smoothing is that weights are applied to the past values. Weights can be set so that the most recent and most relevant observations are given more weight than those observations further in the past. The exponential smoothing technique used in the Holt-Winters method requires a smoothing constant set in the range  $0 < \alpha < 1$ . This constant is used to apply weights to the observations. The optimal value of smoothing constant varies based on the time-series data in question. It is usually set between 0.05 and 0.03, although it is possible to estimate  $\alpha$  by reducing the sum of squared prediction errors (National Statistics United Kingdom, 2005). The Holt-Winter smoothing algorithm tends to be more accurate for accounts that trend in one direction over time. It is a double exponential smoothing method that is appropriate for series with a linear trend and no seasonal variations. It is an extension of simple exponential smoothing method that was initially designed for time series with no trend nor seasonal pattern. The Holt-Winters model contains two important components; an exponentially smoothing constant (E,  $\alpha$ ) and a trend component  $(T,\beta)$  (Ortiz,2015).

The **moving average** method uncover the patterns and relationships and extract values of other variables from the database to predict the future values of other variables through the use of time series data. The moving average model offers advantage of reducing fluctuations and obtaining trends with a fair degree of accuracy (Preethi, and Santhi, 2012).

**Hidden Markov Model** is a signal detection model which has established in 1966. The model assumes that observation sequences were derived by hidden state sequence which is a discrete data and satisfy the first order of a Markov process. HMM was developed from a model for a single observation to a model for multiple observations. HMM has been applied in different fields such as speech recognition, biomathematics, and financial mathematics. (Nguyen,2016)

Hidden Markov Model was first invented in speech recognition, but is extensively used to forecast stock market data. Markov process is a stochastic process where probability at one time is only conditioned on a finite history, being in a certain state at a certain time. Markov chain is "Given the present, the future is independent of the past" Hidden Markov Model (HMM) is a form of probability finite state system where the actual states are not directly observable. They can only be estimated using observable symbols associated with the hidden state. At each time point, the HMM produces a symbol and changes a state with certain probability. In HMM, for a given observation sequence, the hidden sequence of states and their corresponding probability values are found. HMM gives a better accuracy than other models. Using the given input values, the parameters of the HMM ( $\lambda$ ) denoted by A,B and  $\pi$  are found out. An HMM can be defined as  $\lambda = (S,O,A,B,\pi)$ where  $S = \{s_1, s_2, \dots, s_N\}$  is a set of N possible states.  $O=\{o_1, o_2, \dots, o_M\}$  is a set of M possible observation symbols. A is an NxN state Transition Probability Matrix (TPM). B is an NxM observation or Emission Probability Matrix (EPM).  $\pi$  is an N dimensional initial state probability distribution vector (Kavitha. Udhayakumar, and Nagarajan, 2013).

Nguyen (2016) used HMM with both single and multiple observations to forecast economic regimes and stock price. HMM can be used to not only with multiple observations data (open, low, high, close price), but also in single observation data (close price) to predict future close price. Since HMM can used either/both the single and multiple observations to predict stock's close prices, we can compare the two methods to see which method had a better result.

In Hassan and Nath study, HMM was used to forecast the price of airline stocks. The goal is to predict the closing price on the next day based on the opening price, the closing price, the highest price and the lowest price today. The performance of the HMM is similar to that of artificial neural networks (ANN). (Hong, and Pitcan, 2015).

**Neuro-Fuzzy networks** can be used to forecast and investigate stock price behavior. Fuzzy sets theory is a theory used for taking steps in an uncertainty. In **Adaptive Neuron-Fuzzy Inference System (ANFIS)**, a model such as "Takagi-Sugeno" is used to designing a pattern. It could be presumed that the fuzzy inference system has two inputs  $X_1X_2$  and an output Z. For first order Sugeno, the equation of IF-THEN is as follows:  $E(X_1 is A_1) \times E(X_2 is A_2) \times E(X_1)$ 

IF(X<sub>1</sub>, is A<sub>1</sub>) AND (X<sub>2</sub>, is B<sub>1</sub>) THEN  $f_1 = P_1 X_1 + q_1 X_2 + r_1$ 

IF(X<sub>1</sub>, is A<sub>2</sub>) AND (X<sub>2</sub>, is B<sub>2</sub>) THEN  $f_{2=}P_2 X_1 + q_2 X_2 + r_2$ In the calculation of "First order Sugeno", the degree of membership variable of X<sub>1</sub> in membership variable of A<sub>1</sub> are multiplied by the degree of membership variable of X<sub>2</sub> and in membership function B<sub>1</sub> and the product is deemed as a first Linear regression Weight(W<sub>1</sub>). Furthermore, in the second equation, the degrees of membership variable X<sub>1</sub> in the membership function of A<sub>2</sub>, is multiplied by the degree of membership variable of X<sub>2</sub> in the membership function of B<sub>2</sub> and the product is deemed as the second Linear regression Weight(W<sub>2</sub>). As a result, the weighted average F<sub>1</sub> and F<sub>2</sub> is deemed as an ultimate output (Z) which is calculated as follows  $Z=W_1 \times f_1 + W_2 \times f_2$ 

$$\frac{\mathbf{W}_1 \mathbf{X} \mathbf{I}_1 + \mathbf{W}_2 \mathbf{X} \mathbf{I}_2}{\mathbf{W}_{1+} \mathbf{W}_2}$$



Takagi and Sugeno fuzzy model was used by Chang and Chen study to forecast Taiwan Stock exchange price deviation. (Abbasi, and Abouec, 2008).

Genetic Algorithm is a heuristic function for optimization, where the extreme of the function cannot be established analytically. Genetic Algorithms promote "survival of the fittest". This type of heuristic has been applied in many different fields, including construction of neural networks and finance. Genetic Algorithm (GA) has been applied in stock market and many finance fields. There have been numerous attempts to used GA for acquiring trading rules, both for Foreign Exchange Trading and S&P500 market ( Lin, Cao, Wang, and Zhang, XXx). Genetic algorithms can be used to predict the values of stock bases on the biological phenomenon of natural selection and natural evolution. It makes use of bio-inspired operators such as mutation, crossover and selection. The first step involves the creation of "population" of randomly generated strings of 0s and 1s. This population is evaluated at every "generation" based on the fitness function which is used to calculate the fitness of every individual in the population that is being evaluated. The fitness is usually the optimum value.

Once the fitness has been evaluated, the chromosomes that have better chance to reproduce are passed onto the next generation. This is followed by cross-over and mutation. Crossover refers to the process of randomly selecting a cross site and then swapping genes of the two parent chromosomes along the cross site. After the crossover operation, mutation is performed which involves changing the string by changing relevant bits from 1s to 0s or vice-versa. This is done to generate a variance in the population ( Chakravarthy and Sunil,2016).

The **random walk model** is frequently used as a model for the stock market quotations. For this particular model all the predictions are equal to the last observed value, and the confidence intervals are higher as the forecast horizon is expanding (Rusu and Rusu, 2003). In random walk, the stock market price changes have the same distribution and these are independent of each other. The stock prices are fluctuating and financial status of a gambler can be modeled as random walk. Random walks can be used in many fields such as ecology, economics and psychology. The random walk explain the observed behavior of processes in these areas (Preethi and Santhi, 2012).

# Hybrid Model

Previous studies have shown that the accuracy of forecasting model increases when the several models are combined. Many studies have proposed the use of hybrid of hybrid models, such as ARIMA, ANN. Zheng in his study used a hybrid model based on three sets of data: data on wolf sunspot, data canduan lynx, and Great Britain Pounds exchange ratio, the America dollar to model the wasting result. Pie and Lim in their study also used a hybrid model consisting of Support Vector Machine (SVM) and peremptory model to predict daily stock (Pirzad And Porannejad ,2014)

### **3.0 METHODOLOGY:**

Stock data used in this study are historical monthly stock prices obtained from finance yahoo website. The data set consisted of trading day from 1st January 2010, to December 30th 2015(monthly data). The data is collected from historical stock prices were obtained from published stock prices on the internet (https://finance.yahoo.com. ). The stock Exchange data consisted of date, closing price, low price, high price, adjusted closing price and volume.

In this study, the closing price is chosen to represent the price of the index to be predicted. The closing price is chosen because it reflects all the activities of the index in a trading day.

Training data period for the long-term is from January 1, 2010 to December 30, 2015. The monthly index value resulted into 72 values in the time series data. During this period 60 values (months) were selected for the training, and 12 values (months) were selected for the testing data. We use the ts() function in the tseries library in the R programming language to convert the raw data into reversed formatted data into a frequency of 12 monthly time series. Three components (Trend, Seasonal and Random) are aggregated into time series in the time series in R. In order to study and investigate the behavior of each component in greater details, we used decompose () function defined in the tseries library in R. After the decomposition, each of the components of the time series and their respective behavior were scrutinized closely. Some robust forecasting techniques were applied to the data to critically analyze the accuracy of each of the forecasting methods that we have applied.

# **DECOMPOSTION RESULTS**

The graph in figure 1 shows the result obtained from the decomposition of the time series data





# Figure 1: Stock Exchange Index time series (January 2010- December 2015)



Figure 2: Decomposition of Stock Exchange index time series into trend, seasonal, and random components

The overall time series for the Stock Exchange index for the period of January 2010 to December 2015 is shown in figure1. It can be seen that the time series had an increasing trend till the curve exhibited a small downward fall during the mid part of 2015. **Figure 2** shows the decomposition results of the time series of **Figure 1.** The three components of the time series are shown separately to facilitate proper visualization of their respective behavior.

The numerical values of the time series data and its three components are contained in **Table 1** below. The trend and the random components are not available for the period of January 2010 to June 2010 and also for the period of July 2015 to December 2015. The non-availability of data for trend for the stated periods is due to the fact that in the computation of trend, long term data. In order to compute trend figures for January 2010-June 2010 we need time series data from July 2009 to December 2009. Similarly, to compute the trend values for July 2015 to December 2015, time series data from January 2016 to July 2016 are needed. Due to the non-availability of data, it is also impossible to calculate the random values for January 2010 to June 2010, and July 2015 to December 2015.

It can be seen in **Table 1** that the aggregate time series is the sum of the trend, seasonal and random components, and that the seasonal components remains constant for the same month over the same period. Hence the missing seasonal component can be figured out but the missing trend values cannot be figured out. As a result, it is impossible to compute the aggregate time series of these specific months.

1	Month	Trend	Seasonal	Random	Time Series Aggregate
	January		-101.87088		-101.87088
	February		271.2702		271.2702
	March		302.5432		302.5432
	April		390.4437		390.4437
	May		184.21845		184.21845
2010	June		48.23595		48.23595
	July	10670.96	-74.92238	-130.097	10465.94084
	August	10826.2	-409.70122	-401.775	10014.72416
	September	10966.37	-395.76963	217.4496	10788.05
	October	11102.41	-151.34463	167.4217	11118.48709
	November	11278.88	-96.7543	-176.101	11006.025
	December	11490.27	33.65153	53.58847	11577.51
	January	11670.17	-101.87088	323.6301	11891.92917
	February	11806.68	271.2702	148.3944	12226.34458
	March	11878.51	302.5432	138.6722	12319.72542
	April	11918.59	390.4437	501.5046	12810.53833
	May	11996.77	184.21845	388.8057	12569.79417
2011	June	12066.75	48.23595	299.3503	12414.33625
	July	12124.3	-74.92238	93.86572	12143.24334

# Table 1: Stock Exchange Index Time Series and its Components



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	1		1	1		
	August	12185.41	-409.70122	-162.178	11613.53041	
	September	12252.83	-395.76963	-943.678	10913.38209	
	October	12306.8	-151.34463	-200.448	11955.00709	
	November	12316.25	-96.7543	-173.817	12045.67917	
	December	12328.31	33.65153	-144.401	12217.56041	
	January	12383.78	-101.87088	351.0051	12632.91417	
	February	12481.39	271.2702	199.4094	12952.06958	
	March	12648.1	302.5432	261.3956	13212.03875	
	April	12800.82	390.4437	22.36838	13213.63208	
	May	12889.21	184.21845	-679.976	12393.4525	
	June	12966.98	48.23595	-135.123	12880.0925	
2012	July	13055.07	-74.92238	28.53113	13008.67875	
	August	13152.16	-409.70122	348.3829	13090.84166	
	September	13255.03	-395.76963	577.8696	13437.13	
	October	13379.72	-151.34463	-131.92	13096.45542	
	November	13560.9	-96.7543	-438.569	13025.57667	
	December	13758.89	33.65153	-688.399	13104.14208	
	January	13947.24	-101.87088	15.21422	13860.58334	
	February	14122.67	271.2702	-339.447	14054.49292	
	March	14264.83	302.5432	11.16263	14578.53583	
	April	14437.41	390.4437	11.94588	14839.79958	
	May	14667	184.21845	264.3528	15115.57125	
2013	June	14939.22	48.23595	-77.8576	14909.59833	
	July	15160.5	-74.92238	413.9578	15499.53542	
	August	15331.57	-409.70122	-111.555	14810.31333	
	September	15504.33	-395.76963 21.108		15129.66917	
	October	15655.17	-151.34463	41.9238	15545.74917	
	November	15794.45	-96.7543	388.7168	16086.4125	
	December	15941.06	33.65153	601.9526	16576.66416	
	January	16065.25	-101.87088	-264.533	15698 84584	
	February	16204 92	271,2702	-154.477	16321.71333	
	March	16379.97	302 5432	-224 857	16457 65625	
	April	16536 56	390 4437	-346 161	16580 84292	
	May	16686	184 21845	-153 047	16717 17125	
2014	June	16810 51	48 23595	-32 1447	16826 60125	
2014	July	16023 53	-74 92238	-285 308	16563 3	
	August	17060.08	-409 70122	-205.500	17098 /5/58	
	Sentember	17100.08	-305 76062	248 2005	170/2 00084	
	October	17207.90	-373./0703	240.2003	17200 51924	
	November	17404.07	-131.34403	243.9/3	17929 22542	
	Deserviter	17404.27	-90./343	208 2007	17822.07125	
	December	1/491.21	33.03153	298.2097	17823.07125	
	January	17571.19	-101.87088	-304.366	17164.95334	



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	February	17594.36	271.2702	267.0706	18132.70083	
	March	17539	302.5432	-65.4232	17776.12	
	April	17518.78	390.4437	-68.7079	17840.51583	
	May	17525.65	184.21845	300.8149	18010.68333	
2015	June	17504.55	48.23595	66.72572	17619.51167	
	July		-74.92238		-74.92238	
	August		-409.70122		-409.70122	
	September		-395.76963		-395.76963	
	October		-151.34463		-151.34463	
	November		-96.7543		-96.7543	
	December		33.65153		33.65153	

#### 4. RESULT AND DISCUSSIONS

The seasonal components of the Stock Exchange Index are positive during the period of February to June and negative from July to November. The seasonal component value is at minimum on the month of August, while the maximum seasonal component is in the month of April. The trend component value decreased in the month of February 2015 and March 2015, then increased slightly in April 2015, but decreased again in May 2015. It is most likely the decrease could continue in the few months after May. The random component values shows fluctuations. The time series can be feasible for forecasting since the trend component being the major component of the time series shows a decrease pattern within the months of February 2015 to May 2015.

The study makes attempt to compare the accuracy of the most popular forecasting models, and then propose a more accurate hybrid forecasting model consisting of ARIMA and ANN.

R statistical program was used to build the forecasting models to test the historic time series aggregate data. The built Neural Network, ARIMA, Polynomial Fit Model Seasonal Fit Model, Advanced Linear Model and Hybrid forecasting models' accuracy were measured using the historic time series aggregate monthly data.

The different forecasting methods that were applied on the time series data of the Stock Exchange Index. The seven forecasting techniques that were proposed and their forecasting accuracy are listed and discussed below.

The time series data of the Stock Exchange Index from January 2010 to December 2015was used to compute its trend and seasonal components. Forecasting for the yearly indices for the year 2015 is made on the basis of time series data from January Error in forecasting 2010 till the end of the previous year for which forecast is

made is also computed. Errors in forecasting are also computed. The time series the of Stock Exchange yearly indices from the year January 2010 to December 2014 is use to compute, its seasonal and trend components. The training data is computed from the time series of the Stock Exchange indices from the January 2010 to December 2014 using R statistical program. We use the following models: Neural Network, Arima, Seasonal Fit, Advanced Linear HoltWinter Exponential Smoothing, Holt-Winter Filter and Hybrid with a forecast horizon of one year to compute the forecast value for the seven models. The forecasting accuracies of the seven models are graphically illustrated in figures 3 to 9 below.

# Results







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**Figure 3: Seasonal Fit Forecasting Model** Forecasts from Linear regression model



Figure 4: Advanced Linear model





Figure 5: Holt-Winter's Exponential Smoothing

# Forecasts from HoltWinters



**Figure 6: Holt-Winter** Filt



**Figure 7: ARIMA Model** 

Forecasts from NNAR(1,1,2)[12]



**Figure 8: Neural Networks Model** 



**Figure 9: Hybrid Model** 



	Н	0					
	yb		ARI			Holt	Holt
	ri	ST	MA(	NN	TS	Wint	Win
	d	L	5,3,6)	AR	L	er_ng	ter
	23	2.17		0.06	7.89	-	33.4
Μ	.0	428	41.26	766	994	61.23	485
Ε	92	6	868	153	8	806	3
R							
Μ	33	357.		354.	434.		492.
S	7.	090	363.5	825	440	434.9	964
Е	54	9	435	8	4	157	2
Μ	26	281.			363.		342.
Α	2.	773	279.1	261.	072	331.9	202
Е	03	8	913	295	3	132	6
		-		-	-		
Μ	0.	0.08		0.06	0.05	-	0.16
Р	06	738	0.283	767	593	0.601	040
Ε	89	017	6488	791	673	6335	88
Μ							
Α	1.	2.17		1.88	2.74		2.48
Р	88	343	2.157	907	795	2.613	242
Е	25	8	722	3	1	475	9
Μ							
Α	0.	0.17		0.16	0.23		0.21
S	16	899	0.177	998	063	0.210	737
Е	64	22	3517	33	57	8423	85
	-		-	-			
Α	0.	0.02	0.020	0.05	0.60	-	0.08
С	10	079	9959	471	787	0.023	876
F1	3	038	1	577	62	0894	02

# Table 2: Forecasting Models Accuracy computation Results

We observe from **Table 1** the Mean Average Percentage Error (MAPE) of all the forecasting models is relatively small, and that the Hybrid forecasting model had the lowest MAPE of **1.8825** and the lowest Mean Absolute Scale Error (MASE) of **0.1664.** 

As mentioned earlier the Stock Exchange dataset was divided into training and test set. Training set was used to train forecasting models and test set was used to measure forecasting model performance. Forecasting performance was measured in terms of Mean Absolute Error (MAE), Mean Absolute Percentage Error (MAPE), Root Mean Square Error (RMSE),Mean Error (ME),Relative Mean Absolute Error (RMAE), Mean Percentage Error (MPE), Mean Absolute Scaled Error (MASE), First-Order Autocorrelation Coefficient (ACF1).

ANNs are data-driven model and consequently, the underlying rules in the data are not always apparent. Also, the buried noise and complex dimensionality of the stock market data makes it difficult to learn or reestimate the ANN parameters (Kim & Han, 2000). It is also difficult to come up with an ANN architecture that can be used for all domains. In addition, ANN occasionally suffers from the overfitting problem (Romahi and Shen, 2000).

Neural Network results are unstable. The neural network functions are Block Box function. The rules of operations are completely unknown. Back propagation networks can be take long time to train the large amount of data. Unlike a regression model, ARIMA model do not support the stationary time series data (Preethi and Santhi, 2012).

The limitations listed above could be overcome by the proposed a hybrid model that combines ARIMA model and neural network to improve the accuracy of the stock market index forecasting.

# CONCLUSION

In this work, we have analyzed the Stock Exchange index time series during the period of January 2010 to December 2015. R statistical program was used to decompose the time series values into trend, seasonal, and random components. The decomposition of the time series provided a deeper insight into the behavior of the Stock Exchange index time series. Using the decomposed result, we applied seven forecasting models for forecasting the index value of the Stock Exchange sector for two years (2015 and 2016).

The results obtained from the different forecasting model showed that the hybrid model had the least MAPE and MASE, consequently proved to be the most accurate model for forecasting Stock Exchange when compared to the previously listed forecasting models.

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